

# Learning Domain-Independent Heuristics for Grounded and Lifted Planning

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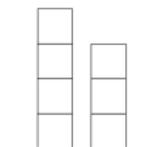


# What are we doing: learning for planning

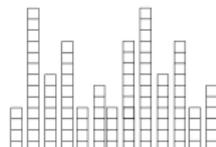
Learn policies/heuristics that generalise

- ▶ to problems of **larger size**
- ▶ domain-dependent learning; e.g.

train small Blocksworld

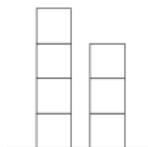


test large Blocksworld

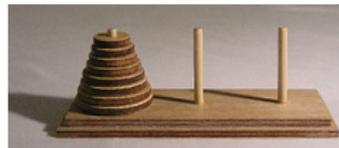


- ▶ to problems from **different domains**; e.g.
- ▶ domain-independent learning; e.g.

train Blocksworld



test Towers of Hanoi



# What are we not doing:

## Reinforcement Learning (RL)

- ▶ sample inefficient
- ▶ does not exploit model structure
- ▶ poor generalisation and scaling to larger problems

## Large Language Models (LLMs)

- ▶ not reasoning on logic; memorise word semantics
- ▶ no correctness guarantees
- ▶ poor generalisation and scaling to larger problems

## AI Planning

- ▶ find a sequence of executable actions that achieve a goal
- ▶ requires long range reasoning over very large state space
- ▶ makes use of predicate logic

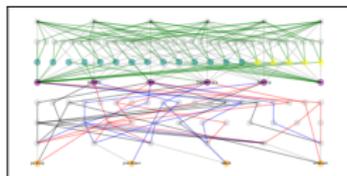
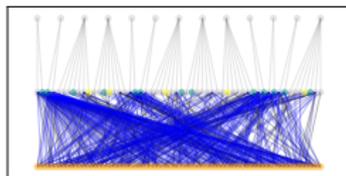
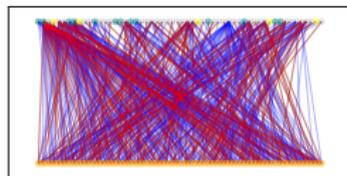
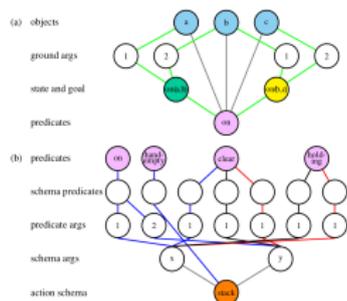
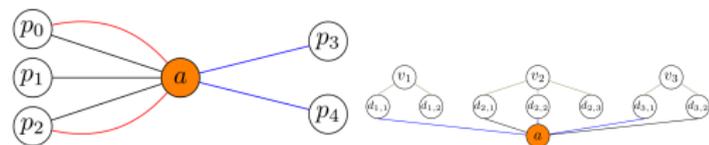
## Graph Neural Networks (GNNs)

- ▶ message passing paradigm
- ▶ allow for arbitrary input graphs with fixed feature dimension
- ▶ we focus on Message Passing Neural Networks (MPNNs)

# New Contributions

1. *representation*: domain-independent planning graphs
2. *theory*: what heuristics can we learn?
3. *implementation*: GOOSE planner
4. *experiments*: state-of-the-art domain-dependent and -independent learning results

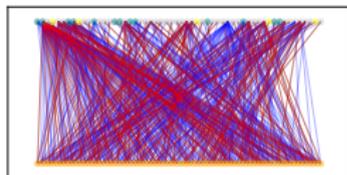
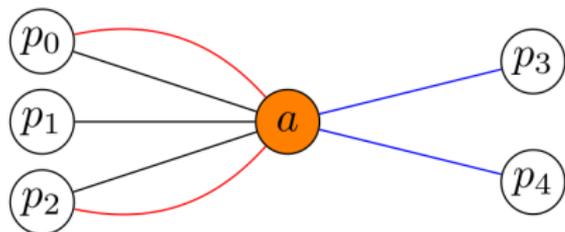
# 1. New domain-independent planning graphs



- ▶ graph representations of planning tasks → input into GNN

# STRIPS Learning Graph (SLG)

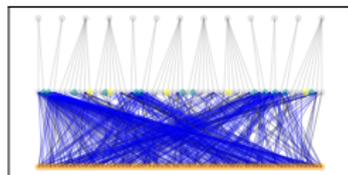
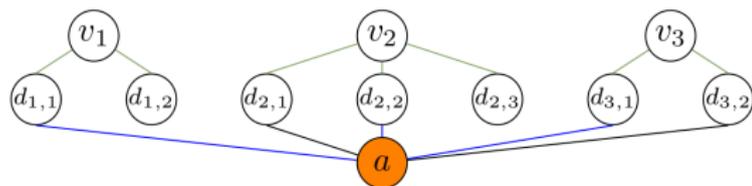
STRIPS planning task:  $\langle P, A, s_0, G \rangle$



- ▶ nodes: propositions + actions
- ▶ features: node type + presence of proposition in  $s_0$  or  $G$
- ▶ edges: pre - add - del
- ▶ learning version of STRIPS PDG [Shleyfman et al., AAI-15]

# Finite domain representation Learning Graph (FLG)

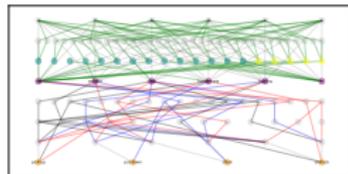
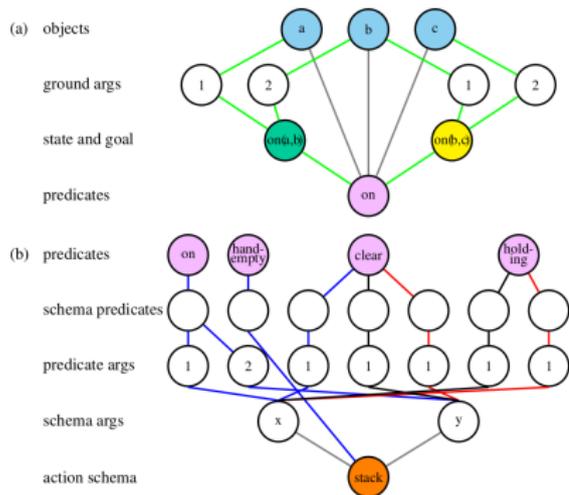
FDR planning task:  $\langle \mathcal{V}, A, s_0, G \rangle$



- ▶ nodes: variables + domain values + actions
- ▶ features: node type + value in  $s_0$  and  $G$
- ▶ edges: values, pre - effect
- ▶ learning version of FDR PDG [Pochter et al., AAAI-11]

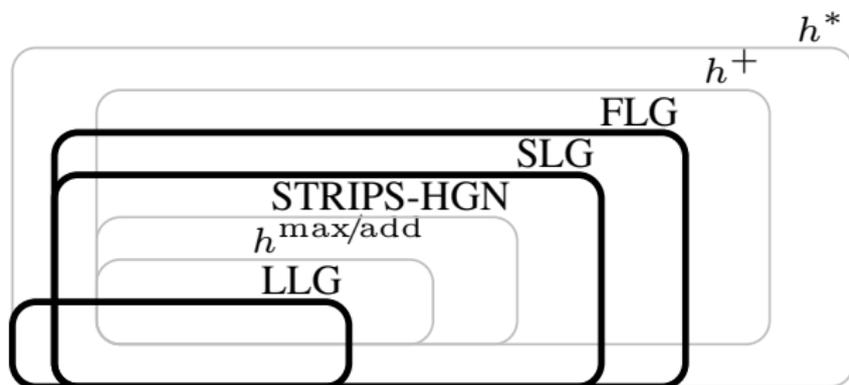
# Lifted Learning Graph (LLG)

lifted planning task:  $\langle \mathcal{P}, \mathcal{O}, \mathcal{A}, s_0, G \rangle$



- ▶ graphs encode action schemata instead of actions
- ▶ only propositions are those in  $s_0$  and  $G$
- ▶ node features and edges encode position of objects in the predicate arguments

## 2. Theoretical results: what heuristics can they learn?



- ▶ expressivity analysis of GNNs operating on planning graphs
- ▶ domain-*independent* heuristics we can(not) learn
- ▶ proof techniques applicable to other learning for planning architectures e.g. (LLM, RL)

## 2a. Positive results

### Theorem

*MPNNs operating on grounded graphs (SLG and FLG) are more expressive than STRIPS-HGN [Shen et al., ICAPS-20]*

- ▶ Proof idea: STRIPS-HGN do not encode delete effects

### Theorem

*MPNNs operating on grounded graphs can learn  $h^{add}$  and  $h^{max}$*

- ▶ Proof idea: encode Value Iteration into MPNNs + approximation theorem
- ▶ practicality? not much

## 2b. Negative results

### Theorem

*MPNNs operating on lifted graphs (LLG) cannot learn  $h^{add}$ ,  $h^{max}$ ,  $h^+$  and  $h^*$*

- ▶ Proof idea: counterexample
- ▶ a pair of planning tasks with different heuristic values but appear the same to MPNNs operating on their LLG representation
- ▶ thus, “scaling” your NN architecture is pointless

### Theorem

*MPNNs operating on grounded graphs cannot learn  $h^+$  and  $h^*$  nor any approximation*

- ▶ Proof idea: class of counterexamples

# Not all hope is lost

- ▶ possible to learn  $h^*$  for subclasses of planning tasks [1]
- ▶ do not need perfect predictions
- ▶ can still perform well on GBFS with inaccurate heuristics

[1] Ståhlberg, S., Bonet, B., Geffner, H. (2022). Learning General Optimal Policies with Graph Neural Networks: Expressive Power, Transparency, and Limits. In *ICAPS*.

### 3. GOOSE architecture

1. states converted to graphs
  - ▶ one of SLG, FLG, LLG
2. graphs fed into a GNN with learned parameters
  - ▶ RGCN [Schlichtkrull et al., ESWC-18] for edge-labelled graphs
3. GPU batch evaluate *only*<sup>1</sup> successor states
  - ▶ backend search in Fast Downward implementation of GBFS

Code at <https://github.com/DillonZChen/goose>



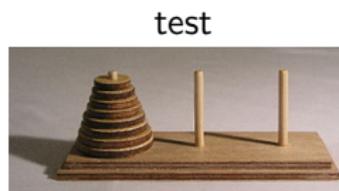
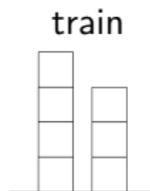
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<sup>1</sup>Doing more is suboptimal and is made worse with lazy evaluation GBFS.

## 4. Experiments: Learning paradigms

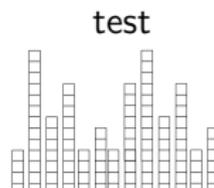
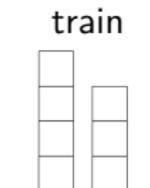
Domain-Independent Learning [Shen et al., ICAPS-20]

- ▶ **do not** train on evaluation domain
- ▶ learn to solve arbitrary planning problems; “zero shot learning”



Domain-Dependent Learning

- ▶ train on **very small tasks from** the evaluation domain
- ▶ learn to solve specific planning problems



# Baselines

- ▶ blind: breadth first search
- ▶  $h^{FF}$ : GBFS with the  $h^{FF}$  heuristic
- ▶ HGN: STRIPS-HGN trained in domain-*dependent* fashion

## 4a. Domain-Independent Learning

- ▶ train on tasks *not from* evaluation domain
- ▶ training: {IPC benchmarks} \ {evaluation domains}
- ▶ testing: number of objects<sup>2</sup> from 15-100

	baselines			GOOSE		
	blind	$h^{\text{FF}}$	HGN	SLG	FLG	LLG
blocks (90)	-	<b>19</b>	-	9	8	6
ferry (90)	-	<b>90</b>	-	28	22	2
gripper (18)	1	<b>18</b>	5	5	3	9
n-puzzle (50)	-	<b>36</b>	-	6	3	-
sokoban (90)	74	<b>90</b>	10	45	40	15
spanner (90)	-	-	-	-	-	-
visitall (90)	-	6	25	16	<b>41</b>	-
visitsome (90)	3	26	33	<b>73</b>	65	15

hyperparameters: 8 GNN layers, mean aggr.

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<sup>2</sup>except  $n$ -puzzle and Sokoban

## 4b. Domain-Dependent Learning

- ▶ train on tasks *from the same* evaluation domain
- ▶ training: number of objects<sup>3</sup> from 2-10
- ▶ testing: number of objects<sup>3</sup> from 15-100

	baselines			GOOSE		
	blind	$h^{FF}$	HGN	SLG	FLG	LLG
blocks (90)	-	19	-	-	6	<b>62</b>
ferry (90)	-	<b>90</b>	-	32	33	88
gripper (18)	1	<b>18</b>	5	9	6	<b>18</b>
n-puzzle (50)	-	<b>36</b>	-	10	10	-
sokoban (90)	74	<b>90</b>	10	31	29	34
spanner (90)	-	-	-	-	-	<b>60</b>
visitall (90)	-	6	25	46	<b>50</b>	44
visitsome (90)	3	26	33	<b>72</b>	39	65

hyperparameters: 8 GNN layers, mean aggr.

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<sup>3</sup>except  $n$ -puzzle and Sokoban

## 4c. IPC 2023 Learning Track results

- ▶ domain-dependent learning
- ▶ planners:
  - ▶  $h^{FF}$ : classical planner
  - ▶ GOOSE: deep learning
  - ▶ WL-GOOSE [2]: classical ML

Domain	$h^{FF}$	GOOSE	WL-GOOSE
blocksworld	28	63.0	<b>77</b>
childsnap	26	23.2	<b>30</b>
ferry	68	70.0	<b>76</b>
floortile	<b>12</b>	0.0	2
miconic	<b>90</b>	88.6	<b>90</b>
rovers	34	25.6	<b>37</b>
satellite	<b>65</b>	31.0	57
sokoban	36	33.0	<b>38</b>
spanner	30	46.4	<b>74</b>
transport	<b>41</b>	32.4	32
sum coverage	430	413.2	<b>513</b>
sum IPC score	393.5	391.0	<b>471.2</b>

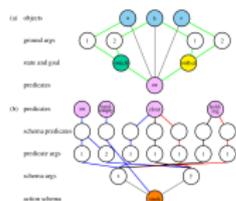
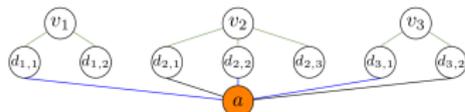
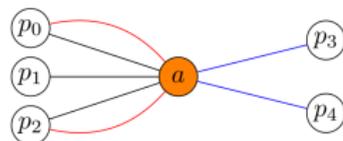
[2] Chen, D. Z., Trevizan, F., Thiébaux, S. (2024). Return to Tradition: Learning Reliable Heuristics with Classical Machine Learning. In *ICAPS*.

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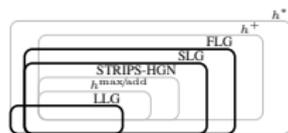
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## Theoretical and SOTA experimental results in learning heuristics for domain-dependent and -independent planning

### 1. New graph representations of planning tasks for learning



### 2. Theoretical Results



### 3. GOOSE

### 4. State-of-the-art Results

	baselines			domain-dep.			domain-ind.			Domain	Time	IPC	GOOSE	w/ GOOSE
	blind	$h^{FF}$	HGN	SLG	FLG	LLG	SLG	FLG	LLG					
blocks (90)	-	19	-	-	6	<b>62</b>	9	8	6	blocksworld	20	63.0	37	37
ferry (90)	-	<b>90</b>	-	32	33	58	28	22	2	chilinaack	20	23.2	<b>30</b>	<b>30</b>
gripper (18)	1	<b>18</b>	5	-	9	6	<b>18</b>	5	3	ferry	62	70.0	<b>76</b>	<b>76</b>
n-puzzle (50)	-	<b>36</b>	-	-	10	10	-	6	3	fluorite	24	6.0	-	-
sokoban (90)	<b>74</b>	<b>90</b>	10	31	29	34	45	40	15	microworld	<b>90</b>	88.6	<b>90</b>	<b>90</b>
spanner (90)	-	-	-	-	-	-	-	-	-	novas	24	25.6	<b>37</b>	<b>37</b>
visitall (90)	-	6	25	46	<b>50</b>	44	16	41	-	satellite	<b>65</b>	31.0	<b>37</b>	<b>37</b>
visitsome (90)	3	26	33	72	39	65	<b>73</b>	<b>65</b>	15	sokoban	20	33.0	<b>38</b>	<b>38</b>
										spanner	30	46.4	<b>24</b>	<b>24</b>
										strawpot	24	25.4	<b>37</b>	<b>37</b>
										sum-coverings	420	413.2	<b>213</b>	<b>213</b>
										sum-ipc score	383.5	399.0	<b>473.2</b>	<b>473.2</b>

Poster 639

Code at <https://github.com/DillonZChen/goose>



Thanks! Questions?