Novelty Heuristics, Multi-Queue Search, and Portfolios for Numeric Planning

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What are we doing: numeric planning (PDDL 2.1)

States (resp. actions) now have numeric variables (resp. conditions and effects)

- Undecidable with decidable fragments
- Useful for modelling:
 - capacity constraints
 - resource management
 - Euclidean maps
 - games and puzzles

Ctrl+C, Ctrl+V classical search techniques to numeric planning

- 1. unifying novelty heuristics for numeric planning
- 2. multi-queue search
- 3. portfolios

Big coverage tables and empirical results on IPC 2023 Numeric Track

1. Numeric Novelty Heuristics

Two steps for defining a novelty heuristic

1. define a *novelty feature*

$$f:S^{\mathbb{N}} imes S o (\mathbb{R}\cup\{ot\})^{N}$$

"vector representation of a state, based on previously seen states"

2. given novelty feature f and base heuristic h, define a *novelty heuristic*

$$n_f^h: S^{\mathbb{N}} \times S \to \mathbb{R}$$

"map states to scalar values, based on previously seen states"

"vector representation of a state, based on previously seen states"

Two examples:

- Assignment (A)
- Boundary (B)

1.1.1. Novelty Feature: Assignment Feature

Assignment (A)

- assign truth value of propositional variables
- assign numeric value of numeric variables

1.1.2. Novelty Feature: Boundary Feature

 $\mathsf{Boundary}^1(\mathsf{B})$

- incrementally build intervals from min/max of numeric vals
- assign numeric value to interval

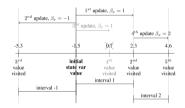


Image from [1]

¹Florent Teichteil-Königsbuch, Miquel Ramírez, and Nir Lipovetzky. "Boundary Extension Features for Width-Based Planning with Simulators on Continuous-State Domains". In: *IJCAI*. 2020.

1.2. Example Novelty Heuristics

"map states to scalar values, based on previously seen states"

Two examples:

- Partition Novelty (PN)
- Quantified Both (QB)

Some notation:

- ▶ fix $k \in \mathbb{N} \setminus \{0\}$
- ▶ let J denote indices of a feature, $|J| \le k$
- $[J]^s$ the values of feature at J in s

Partition Novelty¹ (^kPN)

- ▶ J in s is novel iff $[J]^s$ is new in previous states t with h(s) = h(t)
- heuristic = minimum size of novel Js

¹Nir Lipovetzky and Hector Geffner. "Width and Serialization of Classical Planning Problems". In: ECAI. 2012.

1.2.2. Novelty Heuristic: Quantified Both

Quantified Both¹ (^{k}QB).

- new: we generalise QB for arbitrary k
- ▶ J in s is novel iff h(s) < h(t) for previous states t with $[J]^s = [J]^t$
- heuristic = count novel variable subsets while
 - prioritising states with small novel subsets
 - tiebreaking on 'bad' subsets

¹Michael Katz et al. "Adapting Novelty to Classical Planning as Heuristic Search". In: ICAPS. 2017.

- 1. Multi-Queue Search/Alternation Search¹ (M)
 - one search queue for each heuristic
- 2. (Static) Portfolios² (P)
 - ▶ try each configuration with $\frac{1}{|\text{heuristics}|}$ of the time limit

 ¹Gabriele Röger and Malte Helmert. "The More, the Merrier: Combining Heuristic Estimators for Satisficing Planning". In: *ICAPS*. 2010.
 ²Malte Helmert, Gabriele Röger, and Erez Karpas. "Fast Downward Stone Soup: A Baseline for Building Planner Portfolios". In: *ICAPS* 2011. Workshop on Planning and Learning. 2011.

3. Experiments

▶ IPC 2023 Numeric Track, 20 domains × 20 problems

▶ 5 minute timeout, 8GB memory

3.1. Experiments: Novelty Heuristics

Try (numeric h^{add})¹ with {novelty features} × {novelty heuristics}
k = 2

| Numeric Heuristics | | | | | | | Novelty Heuristics | | | | _ Abbreviations: | | |
|--------------------|-------------|---------------|--------------|---------------|-----------------|---------------------------|---|---|---|---|---|--|--|
| $h^{\rm gc}$ | $h^{ m md}$ | $h^{ m aibr}$ | $h^{ m add}$ | $h^{ m radd}$ | $\eta_{ m mub}$ | $h^{\rm mrp}{}_{\rm +hj}$ | $h^{ m add}_{\langle { m A},{ m PN} angle}$ | $h^{ m add}_{\langle { m B},{ m PN} angle}$ | $h^{ m add}_{\langle { m A}, { m QB} angle}$ | $h^{ m add}_{\langle { m B}, { m QB} angle}$ | A: Assignment novelty feature B: Boundary novelty feature PN: Partition Novelty novelty heuristic | | |
| 117 | 200 | 119 | 183 | 171 | 176 | 217 | 178 | 181 | 215 | 236 | QB: Quantified Both novelty heuristic | | |

* Results may differ on specific domains

- 1. h^{add} best standalone heuristic
- $2. \ \mathsf{QB} > \mathsf{PN}$
- 3. B > A (slightly)

¹Enrico Scala, Patrik Haslum, and Sylvie Thiébaux. "Heuristics for Numeric Planning via Subgoaling". In: IJCAI. 2016.

3.2. Experiments: Combining Heuristics

Define

- $3h = [h^{\text{md}}, h^{\text{add}}, h^{\text{mrp}} + \text{hj}]$ (list of top 3 performing heuristics)
- > 3n = 3h with B nov. features and QB nov. heuristics
- M(·) = multi-queue of input heuristics
- P(·) = static portfolio of input heuristics
- ▶ PATTY = state-of-the-art SMT numeric planner on IPC 2023 Numeric benchmarks¹

| N | I GBFS | | Р | GBFS | | SMT |
|-------|--------|----------------------|-------|-------|-----------|-------|
| M(3h) | M(3n) | $\mathbf{M}(3h\ 3n)$ | P(3h) | P(3n) | P(3h 3n) | PATTY |
| 261 | 244 | 274 | 290 | 292 | 315 | 262 |



* Results may differ on specific domains

- 1. Portfolios > Multi-Queue
- 2. Search > SMT; in both *coverage* and *plan length*

¹Matteo Cardellini, Enrico Giunchiglia, and Marco Maratea. "Symbolic Numeric Planning with Patterns". In: AAAI. 2024.

- ▶ more benchmarks (~ 90% solved by us or SMT)
- more applications (due to better scaling)
- plenty to do for optimal numeric planning
- learning

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Porting classic search techniques to numeric planning

- 1. Unify definition of novelty heuristics
 - new: extending QB to arbitrary k
- 2. New simple heuristic h^{md} (not in this talk)
- 3. Experiments with mostly nice conclusions
 - QB novelty heuristic works best
 - Portfolios generally outperforms multi-queue/alternation search
 - Search generally outperforms constraint-based solving

| | N | lumer | Novelty Heuristics | | | | | | | |
|--------------|----------|----------------|--------------------|----------------|--------------|-----------------|--|--|---|----------------------------|
| $h_{\rm BC}$ | p_{md} | $h^{\rm aibr}$ | h^{add} | $h^{\rm radd}$ | $u_{\rm mb}$ | $h^{\rm mp+hj}$ | $h^{\rm add}_{\langle \Lambda, PN\rangle}$ | $h^{\rm add}_{\rm \langle B, PN\rangle}$ | $h^{\rm add}_{\langle {\rm A}, {\rm QB} \rangle}$ | $h_{\rm (B,QB)}^{\rm add}$ |
| 117 | 200 | 119 | 183 | 171 | 176 | 217 | 178 | 181 | 215 | 236 |

| M GB | FS | | Р | SMT | | | |
|------|-------|-----------|-------|-------|-----------|-------|--|
| | M(3n) | M(3h 3n) | P(3h) | P(3n) | P(3h 3n) | PATTY | |
| 2 | 44 | 274 | 290 | 292 | 315 | 262 | |



Abbreviations:

- A: Assignment novelty feature
- B: Boundary novelty feature
- PN: Partition Novelty novelty heuristic
- QB: Quantified Both novelty heuristic
- M: Multi-Queue/Alternation Search for combining heuristics
- P: Portfolios for combining heuristics

Thanks! Questions?

code at https://github.com/DillonZChen/numeric-planner-2024.git